

/* Addressing an element at a particular in 2-d-Array

Let $A[3][4]$



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		Column Index			
		0	1	2	3
Row Index	0	8	6	5	4
	1	2	1	9	7
	2	3	6	4	2

2-d-Array

While storing the elements of 2-D-Array in Memory, these are allocated contiguous memory locations. Therefore - 2-D Array must be linearized so as to enable their storage.

Two ways to linearize it

- Row Major
- Column Major

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Row Major (Row wise)

8	6	5	4	2	1	9	7	3	6	4	2
← Row 0 →				← Row 1 →				← Row 2 →			

Column-Major (Column-wise - Arrangement)

8	2	3	6	1	6	5	9	4	4	7	2
← Column 0 →			← Column 1 →			← Column 2 →			← Column 3 →		

Row Major System:-

The address of a location in Row Major System

$$\text{Address of } A[i][j] = B + w * [N * (i - L_r) + (j - L_c)]$$

Column Major System →

The address of a location in Column Major System

$$\text{Address of } A[i][j] \text{ column majorwise} = B + w * [(i - L_r) + M * (j - L_c)]$$

Where

B = Base address

i = Row Subscript of element whose address to be found.

j = Column Subscript of element whose address to be found.

w = Storage size of an element

L_r = Lower limit of row (start row index of matrix, if not given then assume 0 (Zero))

L_c = Lower limit of column (start Column index of → of matrix, if not given then assume 0 (Zero))

M = Number of rows of the given matrix

N = Number of column of the given matrix

** Usually no. of rows and column of a matrix are given like A[10][15], A[5][2] but if it's given as

$$A[L_r \dots U_r][L_c \dots U_c]$$

So in this case number of rows and column will be calculated as.

$$\text{rows}(M) = (U_r - L_r) + 1$$

$$\text{Column}(N) = (U_c - L_c) + 1$$



Example :

An Array $X[-15, \dots, 10, 15, \dots, 40]$ requires one byte of storage and the beginning location is 1500 so determine the location of $X[15][20]$

Solution

→ we have to find the No. of Rows and Columns of matrix X

$$M = (U_r - L_r) + 1 \Rightarrow [10 - (-15)] + 1 \Rightarrow 26$$

$$N = (U_c - L_c) + 1 \Rightarrow [40 - 15] + 1 \Rightarrow 26$$

(i) Row Major Wise Calculation of $X[15][20]$

$$B = 1500, W = 1 \text{ byte}, i = 15, j = 20, L_r = -15, L_c = 15$$

$$N = 26$$

$$\text{Address of } X[i][j] = B + W * [N * (i - L_r) + (j - L_c)]$$

$$= 1500 + 1 * [26 * (15 - (-15)) + (20 - 15)]$$

$$= 1500 + 1 * [26 * 30 + 5]$$

$$= 1500 + 785 = 2285$$

(ii) Column Major Wise Calculation of $X[15][20]$

$$B = 1500, W = 1; i = 15, j = 20, L_r = -15, L_c = 15, M = 26$$

$$X[15][20] = B + W * [(i - L_r) + M * (j - L_c)]$$

$$= 1500 + 1 * [(15 - (-15)) + 26 * (20 - 15)]$$

$$= 1500 + 1 * [30 + 26 * 5] = 1500 + 1 * (160)$$

$$= 1660$$



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